

## Appendix Text

### Appendix B

#### Axiom System

##### Axiom 1

On 2D plane or spherical surface, any planar graph without cut links and loops is standard graph SG(n) or sub-graph SG(n') of SG(n).

#### Theorem System

**4-3CP Conjecture:**  $\forall$  standard graph SG, J(m) is the boundary of SG, let Y is the colouring solution set family of J(m),  $\{J'(m)\}$  is sub-bounds set of J(m), Y can make:

- 1)  $|Y| \leq 4$ ,
- 2) J(m) be 3CP,
- 3)  $\{J'(m)\}$  be 3CP,
- 4)  $\exists a 3\text{-colour solution set } 3Y(J'(m)) \text{ and } \overline{J'(m)} \text{ be } 3CP$ ,
- 5) Let  $x, p_1, p_2 \in J'(m)$ , link  $x - p_1, x - p_2$  form sub-bounds  $J'_1(x - p_1), J'_2(x - p_2)$ , and  $\overline{J'_1 + J'_2}$ , if x scans on  $p_1 \rightarrow p_2, \exists 3Y(J'_1 + J'_2)$  and  $\overline{J'_1 + J'_2}$  is 3CP.

#### Inference System

**Inference 1:** If the bound J(m) is AP, the sub-bounds sets  $\{J'(m')\}$  of J(m) must be AP and independent with each other.

**Inference 2:** If bound J(m) is 4-3CP, J(m) can be extended infinitely by  $e(+, p_i)$  and  $e(-, p_i)$ .

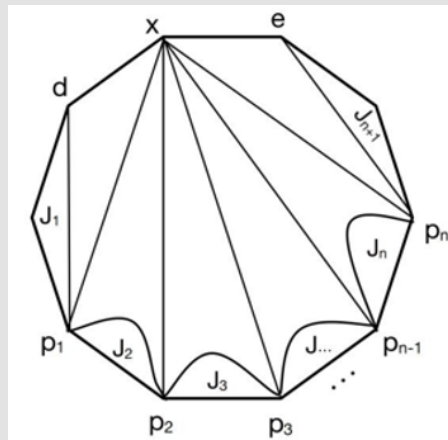
**Inference 3:** The colouring solution set  $\{Y(n)\}$  of standard graph SG(n) is also the solution set of sub-graph SG(n') of SG(n).

**Inference 4:** The element e can be extended infinitely outward and inward by  $e(+, p_i)$  and  $e(-, p_i)$ , and the outward and inward colouring solution are independent.

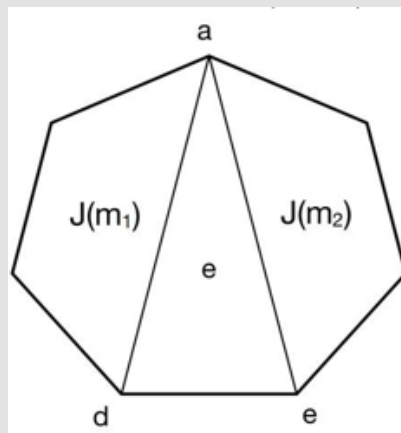
### Appendix C

#### Two Important Methods

1. Points Scanning Method: we set a bound J(m) and a point  $x \in P_m$ , let  $x \notin P_n, P_n \subset P_m, P_n = \{P_1, P_2, P_3, \dots, P_n, d, e\} (d - x, e - x), m \geq 3, 0 \leq n \leq m - 3$ , link x with  $P_n$ , the bound J(m) is AP if and only if  $\forall P_n$ , the sub-bound  $J_1, J_2, J_3, \dots, J_{n+1}$  are AP (Appendix Figure 2). The all link states number of this structure is  $C(|J_1| - 1) \times C(|J_2| - 1) \times C(|J_3| - 1) \times \dots \times C(|J_{n+1}| - 1)$
2. Links Scanning Method: we set bound J(m), let  $a, d, e(d - e) \in P_m, m \geq 3, a \neq d, a \neq e$ , form an element  $e(ade)$  and com-bound  $J(\bar{e}) = J(m_1) + J(m_2)$ , the bound J(m) is AP if and only if  $\forall a$ , the com-bound  $J(\bar{e})$  of  $e(ade)$  is AP (Appendix Figure 3). The all link states number of this structure is  $C(m_1 - 2) \times C(m_2 - 2)$ .



Appendix Figure 2: J(m) Points Scanning Method.



Appendix Figure 3: J(m) Links Scanning Method.

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