

ISSN: 2574 -1241 DOI: 10.26717/BJSTR.2019.23.003850

Modeling and Predicting Infectious Diseases Cases with Climatic Factors in Hong Kong

Kin Keung Lai¹, Ming Wang^{1*} and Jiangze Du²

¹College of Economics, Shenzhen University, China

²School of Finance, Jiangxi University of Finance and Economics, China

*Corresponding author: Ming Wang, College of Economics, Shenzhen University, Shenzhen, China



ARTICLE INFO

Received: November 07, 2019

Published: November 20, 2019

Citation: Kin Keung Lai, Ming Wang, Jiangze Du. Modeling and Predicting Infectious Diseases Cases with Climatic Factors in Hong Kong. Biomed J Sci & Tech Res 23(1)-2019. BJSTR. MS.ID.003850.

Keywords: ARIMA; Infectious Disease; Climatic Factors

ABSTRACT

Infectious diseases are often related to climatic factors such as temperature and rainfall. In this paper, we use time series model to analyze the role of climatic factors on the epidemiology of infectious diseases transmission in Hong Kong. Specifically, we choose ARIMA (Autoregressive Integrated Moving Average) model along with climate factors measured by Hong Kong Observatory. The experiment results show that the model with climatic factors as input variables have better performance than the univariate model in which the infectious diseases depend only on past value. The best model for Hong Kong infectious diseases is obtained when the temperature and rainfall are added as input variables. Therefore, in Hong Kong, we can use past diseases and weather data to predict the future notifiable infectious disease. The predicted results can be used for hospitals to allocate the treatment resources efficiently.

Abbreviations: ARIMA: Autoregressive Integrated Moving Average; ACF: Autocorrelation Function; PACF: Partial Autocorrelation Function; AR: Autoregressive; MA: Moving Average; AIC: Akaike's Information Criterion; RMSE: Root Mean Square Error; CCF: Cross-Correlations Function

Introduction

Infectious diseases remain a main concern in the worldwide since the epidemics may cause up to five million severe illness and 500,000 deaths each year [1]. Many northern countries adopt surveillance and vaccination to prevent prevails. However, many countries in tropics underutilize the prevention strategy despite the year round outbreaks [2]. The recent studies show that the new sources of infectious disease mainly come from East and Southeast Asia [3,4]. The various ways of transmission and scarce surveillance data make the prevention of infectious diseases more difficult. The infectious diseases in temperate areas always appear in cold and dry climate [5,6]. In cold and dry weather, people may prefer to crowd indoor which will definitely lead to higher risk of contact virus transmission [7]. On the other hand, the cold and dry weather is most favorable for virus transmission [8,9]. In addition to humidity and temperature, the solar radiation has also been considered in the virus transmission in the temperate climate [10].

However, the role of climate on the infectious diseases transmission in the tropics attracts less attention. Several regions observe high infectious disease transmission in the rainy seasons such as India, Vietnam and Brazil [11-14]. While in areas such as Singapore, Thailand and Philippines, the annual peaks of infectious diseases do not coincide with the rainy seasons [11-14].

Lowen et al. [15] states that the contact transmission dominates in the tropics [15], while Alonso et al. shows that temperature and humidity contribute more to the virus spread than contact transmission in Brail [16]. According to the above analysis, the contributing factors to the infectious disease's transmission are region-depended due to different transmission pattern. With the monthly scarce surveillance data, we choose to study infectious diseases transmission in Hong Kong (22 °N). The objective of this study is to investigate the effect of temperature and humidity on infectious disease transmission pattern in Hong Kong. The model

with best performance can be used to predict infectious diseases outbreaks that can help develop vaccination strategy and allow the hospitals to distribute the treatment resources efficiently.

Methods and Data

This study uses the monthly count of infectious diseases data in Hong Kong. We obtain the infectious cases data between January 2003 and December 2018, from the monthly statistics published by the Department of Health, Government of the Hong Kong Special Administrative [17]. The climatic parameters are collected from the Hong Kong Observatory with the same frequency and period [18]. We divide dataset into two:

- For fitting process, where the coefficients are estimated,
- Forecasting process, where future values are calculated using the predicted values, and the goodness of fit statistics will typically be used in the model selection. Out of 204 observations in Hong Kong infectious data, we used 156 points for fitting and 48 for prediction.

The infectious cases time series that we analyze in this study is characterized by a strong autocorrelation, a property that commonly violates the ordinary linear regression. Thus, in order to account for the autocorrelation behavior, we employed a class of time series technique ARIMA. We first developed a univariate ARIMA model, where the response series depends only on its past values and some random shocks, followed with multivariate ARIMA with the environmental parameters as inputs. ARIMA is based on the assumption that the response series is stationary, that is the mean and variances of the series are independent of time. Stationarity can be achieved by differencing the series or transforming the variable so as to stabilize the variance or mean. In our analysis we take the logarithmic transformation to reduce the variances of the infectious time series, and subsequently differenced the series until it is stationary. Once the response series is stationary, we examine the ACF (Autocorrelation Function) and PACF (Partial Autocorrelation Function) to determine the initial AR (autoregressive) and MA (moving average) order. An ARIMA model is notated as ARIMA (p, d, q), where p indicates the AR order, d the differencing order and q the MA order. Based on the ACF and PACF we fit several ARIMA models with varying AR and MA orders. In the fitting process, the AR and MA coefficients are estimated using conditional least square method.

The residuals are further inspected for autocorrelation through ACF and PACF. Models with autocorrelated residuals are discarded, else goodness of fit are examined through calculated AIC (Akaike's Information Criterion) and the RMSE (Root Mean Square Error). The resulting model is subsequently used to forecast (1 step ahead) the latest infectious season, and the associated RMSE are calculated. Once we developed and selected a univariate ARIMA, we investigate the effect of the environmental variables and the corresponding lags on the infectious cases. The environmental

series are first prewhitened. In other words, we applied univariate ARIMA modeling such that the environmental series no longer characterized by autocorrelation. Subsequently, CCF (Cross-Correlations Function) between the pre-whitened environmental series and the infectious cases is then calculated so as to identify the lags to be included in the model. Environmental variables that do not exhibit significant cross-correlations with the infectious cases are excluded from further analysis. Similar to univariate ARIMA fitting process, we further estimate the coefficients of the AR and MA terms as well as the lagged environmental variable. The environmental input series are first included one at a time before combining them together.

Results

In this paper, we employ a time series model ARIMA to analyze the infectious diseases transmission in Hong Kong during the past 17 years. In the first step, we need to stationarize the series of monthly infectious illness amounts in Hong Kong as shown in Figure 1. By taking the log transformation of the series to reduce the variance of the infectious cases, we can get the stationary series. Then ACF and PACF are used to identify the specific order of the series. Both ACF and PACF cut off at lag 2. Furthermore, we fit several univariate ARIMA models of different orders to exclude models with residual exhibiting autocorrelation. The results can be obtained in Table 1. As we can see in Table 1, for the fitted dataset, the ARIMA (2,1,2) get the best performance for the criteria of RMSE, while ARIMA (2,1,1) has the best predictive RMSE and lowest AIC. Among the two different univairate models, the difference AIC of two model is 5%, fit RMSE is 17%, the predictive RMSE is 9%. Since the fit RMSE gets the biggest difference and the other two are relatively smaller, we will choose the model ARIMA (2,1,2) as baseline model for further comparison. In the next step, we need put the environment factors into our model to examine if the performance can be better improved. We first examine the correlations between the infectious cases and environment series.

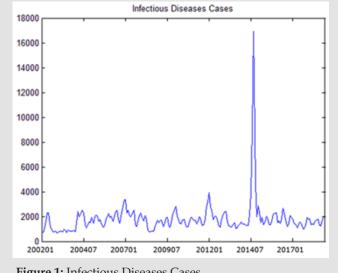


Figure 1: Infectious Diseases Cases.

The experiment results as showed in Table 2 confirm the significant correlations between infectious cases and temperature at lag 2, rainfall at lag 3. Then the multivariate ARIMA models are estimate with one or more environmental factors. The performance of these models is showed in Table 1. For these multi-variable models, the best fit RMSE is obtained from ARIMA (2,1,2) with temperature and rainfall. ARIMA (2,1,1) with temperature has the lowest AIC and ARIMA (2,1,1) with rainfall has the best prediction RMSE. Compared with these three models with the above three baseline univariate models, we can find that the models with

environmental factors included enhance the fit RMSE by 8%, the AIC by 14% and the prediction RMSE by 11% from the baseline univariate models. Among the three best multivariate models, ARIMA (2,1,1) with rainfall has highest AIC. Thus, we exclude this model from our list. Between ARIMA (2,1,2) with both temperature and rainfall and ARIMA (2,1,1) with temperature, the difference of AIC is 3%, however, the difference of fit RMSE is 19%. So, we choose the ARIMX (2,1,2) model with temperature and rainfall as inputs as the best model.

Table 1: Summary of model performance for ARIMA.

Model	Fit		Prediction
	RMSE	AIC	RMSE
ARIMA (2,1,2)	0.4135	171.56	0.5375
ARIMA (2,1,1)	0.4838	163.39	0.4931
ARIMA (2,1,2) with temperature and rainfall	0.3804	144.74	0.4651
ARIMA (2,1,1) with temperature and rainfall	0.4583	148.53	0.4438
ARIMA (2,1,2) with temperature	0.4432	150.53	0.4954
ARIMA (2,1,1) with temperature	0.4527	140.52	0.4783
ARIMA (2,1,2) with rainfall	0.4195	149.55	0.4553
ARIMA (2,1,1) with rainfall	0.4471	172.45	0.4389

Table 2: Cross-correlation between infectious counts and environment series.

Variable	Lag					
	0	1	2	3	4	5
Temperature	0.0143	0.0048	-0.1424*	-0.0834	0.0093	0.0284
Rainfall	0.0004	-0.0142	0.1392	0.1732*	0.0932	0,0132

Discussion

In this study we investigate the relationship between infectious cases and climatic variables in the warm region Hong Kong. In the first part, we check if the univariate ARIMA can be applied to model the infectious cases with its own past values and random errors. We can find that the univariate ARIMA can forecast one-step ahead future infectious cases relatively well. The best univariate model is ARIMA (2,1,2) in which the infectious cases are depended on the cases in the past two months. In the multivariate ARIMA models, we find that the temperature and rainfall are significantly related to the infectious cases in Hong Kong. The relationship between rainfall and infectious diseases is observed in tropical countries in Singapore, Brail and Thailand [12-14]. There is any connection between with infectious transmission effectiveness, virus survivorship or host susceptibility. In common sense, rainfall may cause changes in the social activity which in turn promote the transmission of infectious disease. For example, in rainy days, people may prefer to stay indoors and thus promote the chance to contact with other people. The rainy season is between April and September in Hong Kong. Meanwhile, the infectious disease transmission peaks are typically around March and April, which is considered to be in the rainy season.

Temperature is always accompanied with infectious diseases such as in Tokyo [6]. Especially in the northern region, the infectious diseases peaks always coincide with winters. The prevailing dry and cold climate during winter seems to enhance infectious disease transmission, though this is not the same case in the tropics. Lowens st al find that low temperature (5°C) and small amount of rainfall environment is efficient for infectious diseases transmission. The high temperature (30°C) can block airborne transmission but not contact transmission, which explains the infectious diseases transmission in tropics. The first peak of infectious cases occurs during the winter, i.e. December and January. The normal mean temperature at this time is 16-20°C and the humidity is always low due to the rare rainfall. According to Lowens et al. [8], 20°C temperature combined with relative dry weather induces very high transmission. The winter climate will result in the paradise for the transmission of virus. Another infectious cases peak occurs during summer, when the temperature is relatively high and the normal value during this period is 26-28 °C. Note that the rainfall starts to increase at this period of each year and the humidity is relatively high. As a result, the high rainfall frequency will promote the risk of contact transmission at this time of each year. Thus, it seems that the second infectious diseases transmission is predominantly caused by the contact transmission.

In this paper we have demonstrated the application of climatic variables and the infectious cases data through a mathematical model to assess the effect of environmental factors on infectious diseases. We have shown the prediction capability of the models, as measured by the RMSE of prediction dataset (Table 1), to forecasts the next infectious diseases period. Presently we use the one step ahead to forecast the infectious cases in the next month. In reality this may only be possible for cities with more advanced computerbased surveillance systems such as New York City and Hong Kong. Most of the models developed depend on the past one to two weeks infectious cases. A more common way is to predict the infectious cases with more than one-step ahead forecasts. That is to say, the future forecasts are calculated with previously predicted number of cases instead of using the actual cases from the surveillance data (as in one-step ahead approach). However, one caveat to this approach is that more data is needed, since model selection will be based not only on the RMSE of the fitting dataset but also on the prediction dataset.

Conclusion

In this study, we combine the climatic parameters with the infectious disease cases through a time series model ARIMA. Through the comparison of several different models, we can conclude ARIMA (2,1,2) with temperature and rainfall included outperform other models and is the best model to predict the infectious diseases cases in the next period. Also, this model can approximately explain the two peaks of the infectious cases each year. Finally, the models in this study are a first step towards developing an early warning system for infectious diseases.

References

- 1. (2009) World Health Organizations (WHO). Influenza (Seasonal).
- Wong CM, Yang L, Chan KP, Leung GM, Chan KH, et al. (2006) Influenzaassociated hospitalization in a subtropical city. PLoS Med 3(4): e121.
- 3. Rambaut A, Pybus OG, Nelson MI, Viboud C, Taubenberger JK, et al. (2008) The genomic and epidemiological dynamics of human influenza A virus. Nature 453: 615-619.

- Russell CA, Jones TC, Barr IG, Cox NJ, Garten RJ, et al. (2008) Influenza vaccine strain selection and recent studies on the global migration of seasonal influenza viruses. Vaccine 26(4): D31-D34.
- Du Prel JB, Puppe W, Grondahl B, Knuf M, Weigl JA, et al. (2009) Are meteorological parameters associated with acute respiratory tract infections? Clin Infect Dis 49(6): 861-868.
- 6. Urashima M, Shindo N, Okabe N (2003) A seasonal model to simulate influenza oscillation in Tokyo. Jpn J Infect Dis 56(2): 43-47.
- Lofgren E, Fefferman NH, Naumov YN, Gorski J, Naumova EN (2007) Influenza seasonality: underlying causes and modeling theories. J Virol 81: 5429-5436.
- 8. Lowen AC, Mubareka S, Steel J, Palese P (2007) Influenza virus transmission is dependent on relative humidity. PLoS Pathogens 3: e151.
- Shaman J, Kohn M (2009) Absolute humidity modulates influenza survival, transmission, and seasonality. Proc Natl Acad Sci U S A 106(9): 3243-3248.
- 10. Sagripanti JL, Lytle CD (2007) Inactivation of influenza virus by solar radiation. Photochem Photobiol 83(5): 1278-1282.
- 11. Hampson AW (1999) Epidemiological data on influenza in Asian countries. Vaccine 17(1): S19-S23.
- 12. Chew FT, Doraisingham S, Ling AE, Kumarasinghe G, Lee BW (1998) Seasonal trends of viral respiratory tract infections in the tropics. Epidemiol Infect 121(1): 121-128.
- Chumkiew S, Srisang W, Jaroensutasinee M, Jaroensutasinee K (2007) Climatic Factor Affecting on Influenza Cases in Nakhon Si Thammarat. Proceedings of world academy of science, engineering and technology 21: 364-367.
- Moura FE, Perdigao AC, Siqueira MM (2009) Seasonality of influenza in the tropics: a distinct pattern in northeastern Brazil. Am J Trop Med Hyg 81(1): 180-183.
- Lowen AC, Steel J, Mubareka S, Palese P (2008) High Temperature (30°C) blocks aerosol but not contact transmission of influenza virus. Journal of Virology 82(11): 5650-5652.
- 16. Alonso WJ, Viboud C, Simonsen L, Hirano EW, Daufenbach LZ, et al. (2007) Seasonality of influenza in Brazil: a traveling wave from the Amazon to the subtropics. Am J Epidemiol 165(12): 1434-1442.
- 17. Hong Kong Department of Health Flu Express.
- 18. Hong Kong Observatory Extract of Meteorological Observations for Hong Kong.

ISSN: 2574-1241

DOI: 10.26717/BJSTR.2019.23.003850

Ming Wang. Biomed J Sci & Tech Res



This work is licensed under Creative Commons Attribution 4.0 License

Submission Link: https://biomedres.us/submit-manuscript.php



Assets of Publishing with us

- · Global archiving of articles
- Immediate, unrestricted online access
- Rigorous Peer Review Process
- · Authors Retain Copyrights
- Unique DOI for all articles

https://biomedres.us/